## IEEE P802.15 <br> Wireless Personal Area Networks

| Project | IEEE P802.15 Working Group for Wireless Personal Area Networks (WPANs) |
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| Title | Proposed Specification for a Transmit Modulation Accuracy Test for MR- <br> OFDM |
| Date Submitted | November 1, 2011 |
| Source | Michael Schmidt E-mail: michael.schmidt@atmel.com |
| Re | Task Group 15.4g sponsor ballot comment resolution |
| Abstract | Proposed Specification for a Transmit Modulation Accuracy Test for MR- <br> OFDM |
| Purpose | Technical proposal <br> This document has been prepared to assist the IEEE P802.15. It is offered as <br> a basis for discussion and is not binding on the contributing individual(s) or <br> organization(s). The material in this document is subject to change in form <br> and content after further study. The contributor(s) reserve(s) the right to add, <br> amend or withdraw material contained herein. |
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## Change 16.2.4.8 as indicated:

The relative constellation RMS error averaged over subcarriers, symbols, and packets shall not exceed the values shown in Table 147. Information on the EVM calemation process is given in 8.2.3.

## Add the following text to 16.2.4.8:

The transmit modulation accuracy test shall be performed by instrumentation capable of converting the transmitted signal into a stream of complex samples at $\frac{4}{3}$ Msample/s or more.
The sampled signal shall be processed in a manner similar to an actual receiver, according to the following steps, or an equivalent procedure:

1. Start of frame shall be detected.
2. Transition from STF to LTF shall be detected, and fine timing (with one sample resolution) shall be established.
3. Coarse and fine frequency offsets shall be estimated.
4. The packet shall be derotated according to estimated frequency offset.
5. The complex channel response coefficients shall be estimated for each of the subcarriers.
6. For each of the payload OFDM symbols: transform the symbol into subcarrier received values and divide each subcarrier value with the complex estimated channel response coefficient.
7. For each of the $N_{d}$ data-carrying subcarrier, find the closest constellation point and compute the squared Eucleadian distance from it.
8. Compute the RMS average of all errors in a frame. It is given by

$$
R M S_{\text {error }}=20 \log _{10}\left\{\frac{1}{N_{f}} \sum_{i=1}^{N_{f}} \sqrt{\frac{\sum_{j=1}^{N_{S Y M}} \sum_{k \in U_{D}} \Delta(i, j, k)^{2}}{N_{d} \cdot N_{S Y M} \cdot P_{0}}}\right\}
$$

with

$$
\Delta(i, j, k)^{2}=\left(I(i, j, k)-I_{0}(i, j, k)\right)^{2}+\left(Q(i, j, k)-Q_{0}(i, j, k)\right)^{2}
$$

where
$N_{S Y M}$ is the number of OFDM symbols of the frame;
$N_{f}$ is the number of frames for the measurement;
$U_{D}=\left\{-N_{d} / 2, \ldots,-1,1, \ldots, N_{d} / 2\right\}$ is the index set of data tones;
$\left(I_{0}(i, j, k), Q_{0}(i, j, k)\right)$ denotes the ideal symbol point of the $i$-th frame, $j$-th OFDM symbol of the frame, $k$-th subcarrier of the OFDM symbol in the complex plane;
$(I(i, j, k), Q(i, j, k))$ denotes the observed point of the $i$-th frame, $j$-th OFDM symbol of the frame, $k$-th tone of the OFDM symbol in the complex plane;
$P_{0}$ is the average power of the constellation.
The test shall be performed over at least $N_{f}=20$ frames, and the RMS average shall be taken. The payload of the frames under test shall contain $N_{S Y M}=16$ OFDM symbols. Random data shall be used for the payload.

